

Optimizing Sparse Sampling for 2D Electronic Spectroscopy

Sebastian Roeding,[†] Nikita Klimovich,^{†,‡} and Tobias Brixner^{*,†}

[†]*Institut für Physikalische und Theoretische Chemie, Universität Würzburg, Am Hubland, 97074 Würzburg, Germany*

[‡]*present address: Department of Physics, California Institute of Technology, 1200 E. California Blvd., Pasadena, California 91125, USA*

E-mail: sebastian.roeding@phys-chemie.uni-wuerzburg.de; klimovich@caltech.edu.

*Corresponding author:

brixner@phys-chemie.uni-wuerzburg.de;

Phone: +49 (0)931 31 86330; Fax: +49 (0)931 86332

Supporting Information

1. 2D von Neumann basis functions

In Fig. S1 we show the 2DvN basis functions centered at time pixel $(\tau, t) = (14 \text{ fs}, 14 \text{ fs})$. As discussed in Section 2 of the main text the basis is generated from a tensor product of two 1D vN basis sets. The 2DvN basis functions shown here are parameterized by their center frequencies (ω_τ, ω_t) . The 2DvN coefficients are calculated from the overlap of these basis

functions with the time-domain signal of Fig. 3(a). Within the 2D grid in Fig. S1 the basis functions are arranged in the same way as the coefficients in each 2D spectrum of Fig. 3(b).

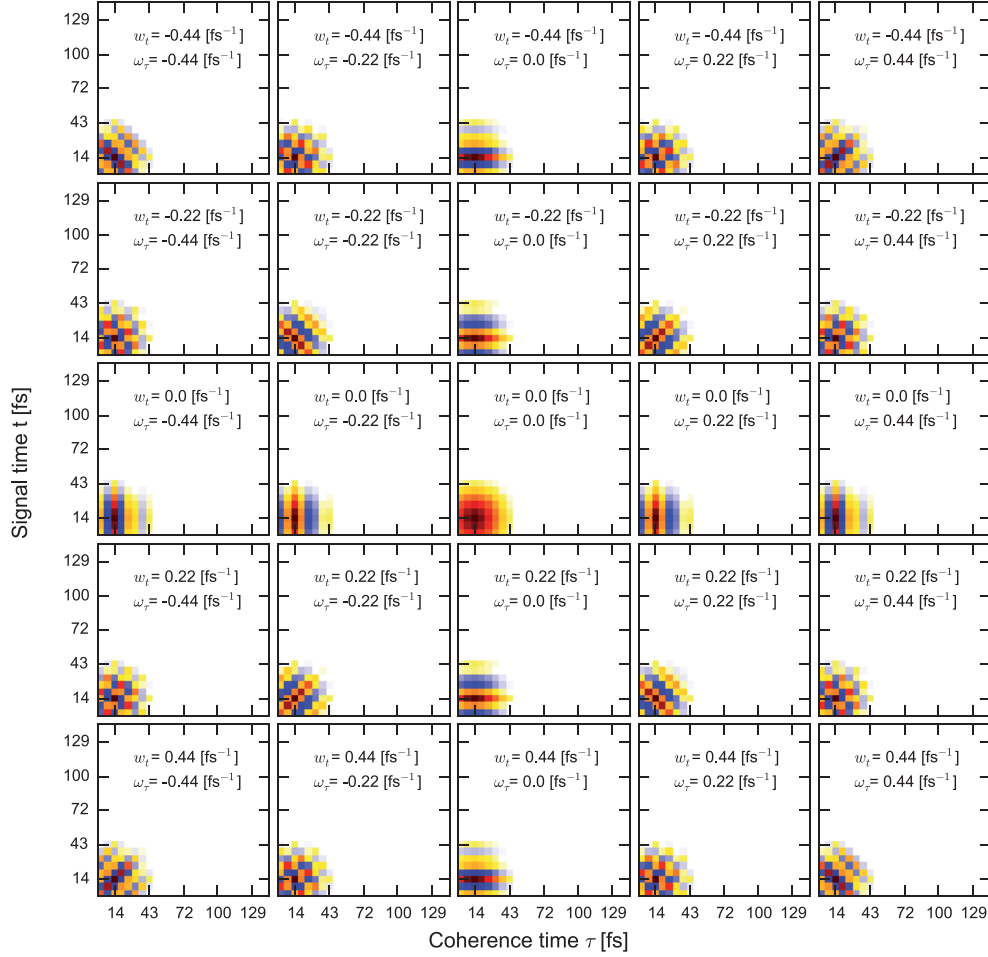


Figure S1: Real part of all 2D von Neumann basis functions centered at time pixel $(\tau, t) = (14 \text{ fs}, 14 \text{ fs})$. The corresponding center frequencies for each basis function are annotated in each plot. The vN coefficients are calculated from the overlap of these basis functions with the time-domain signal in Fig. 3(a) of the main manuscript.